

## Invitation to a talk by

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### On shadowing and average shadowing

#### Time

Wednesday, 7 September, from 10:00 AM to 11:00 AM

#### Venue

Room B2

#### Abstract

In this talk I will examine relations between "mean" versions of shadowing property (mainly AASP) and transitivity.

Let  $f: X \to X$  be a continuous map on a compact metric space (X, d). Recall that a sequence  $\{x_i\}_{i=0}^{\infty}$  is an asymptotic average pseudo-orbit of f provided that

$$\lim_{n \to \infty} \frac{1}{n+1} \sum_{i=0}^{n} d(f(x_i), x_{i+1}) = 0.$$

A sequence  $\{x_i\}_{i=0}^{\infty}$  is asymptotically shadowed on average by a point  $z \in X$  provided that

$$\lim_{n \to \infty} \frac{1}{n+1} \sum_{i=0}^{n} d(x_i, f^i(z)) = 0.$$

The map f has the asymptotic average shadowing property (abbreviated AASP) provided that every asymptotic average pseudo-orbit of f is asymptotically shadowed on average by some point in X.